中國文化大學教師教學創新暨教材研發獎勵期末成果報告書

壹、計畫名稱

英文計畫名稱: Fundamental Design of Combinational and Sequential Logic

Circuit

中文計畫名稱:組合電路與序列電路基礎設計

貳、實施課程、授課教師姓名

課程名稱: 邏輯設計 (Logic Desgin)

開課系級:電機工程學系 一 年級

授課教師: 逄霖生

電子郵件: pls@faculty.pccu.edu.tw

參、前言

組合電路與序列電路是數位電路的基礎,台灣在世界的工業鏈中,在數位設計的能力有目共睹,這個領域需要的相關科技人才,必須有組合電路與序列電路的知識。電機系在此專業領域特別重視相關的技術與知識。唯有組合電路與序列電路的基本技能十分紮實,才能有足夠的能力面對更大的挑戰。本教材創新計畫針對基本邏輯知識詳加介紹:包含Boolean logic(布林邏輯),數位資料表示與實際基本邏輯閘的介紹應用。進階的數位序列電路的原理,相關的實際電路應用:包含正反器、閘極開關、計算器與Timer的設計與實際應用的電路。本教材將使用

Altera公司發展的EDA與FPGA硬體,提供學有實際動手操作的設備,希望透過專案設計的方式,提供學員了解硬體與軟體編寫及燒錄開發設計的過程,讓學生了解邏輯設計中數位組合電路與序列電路的設計。

肆、計畫特色及具體內容

邏輯電路設計與應用是台灣工業的強項,這個領域需要大量的3C相關科技人才。電機工程系的學習領域,包含了硬體實作與軟體應用,因此特別適合同學在此項目中發揮所長。但是數位邏輯電路應用基本技能包含邏輯能力的分析,組合與實際電路應用,如此才能有足夠的知識挑戰不同的問題。學生也應不斷地吸收新的知識,來面對計算機工程或數位電路設計日新月異的發展。本教材創新計畫針對基本邏輯知識與進階的數位序列電路的原理詳加介紹:內容有布林邏輯、數位資料、基本邏輯開、數位應用電路、正反器、開極開關、計算器與Timer的設計與實際應用的電路。本教材將使用Altera公司發展的EDA與FPGA硬體,提供學有實際動手操作的設備,讓學員有機會了解硬體與軟體編寫及燒錄開發設計的過程,加強學生對邏輯設計中組合電路與序列電路的瞭解。

Combinational Logic Circuit 數位組合電路

- Number Systems, Arithmetic, and codes
 - Digital Systems vs. Analog Systems

Digital Systems vs. Analog Systems

- Digital System
 - Information is represented and processed by a finite number of discrete digits.
 - Example: Binary Strings of 1's and 0's are used to represent information.
- Analog System
 - Information is represented and processed along a continuum
 - Example: Consider making measurements with a ruler.

■ Number Systems

Positional Number Systems

- □ The above is a general form of a power series in radix r. A number N expressed in base-r system has coefficients multiplied by powers of r.
- □ N= $d_{n-1} * r^{n-1} + d_{n-2} * r^{n-2} + \dots + d_1 * r^1 + d_0 * r^0 + d_{-1} * r^{-1} + d_{-2} * r^{-2} + \dots + d_{-m} * r^{-m}$

■ Binary Arithmetic

Binary Number

- Two discrete values are used in digital systems only.
- □ The values of a binary number could be
 - False/True
 - Low/High
 - **0/1**
 - Yes/NoGo/No Go
- Low High

■ Ternary Arithmetic

Ternary Number

Similar to the binary number, but the number of ternary number includes {0, 1, 2}. There are total three digital numbers to represent ternary system.

■ Binary and Decimal Number Base Conversions

Decimal to Binary Conversion

- A decimal number N, indicating as "i.f" (i.e. 3.13159), includes two parts: the first part is integer part, i, and the second part is fractional part. f.
- □ The procedures of decimal number to binary conversion are shown as follows:
 - 1. Convert integer part
 - 2. Convert fractional part
 - 3. Combine integer and fractional parts together

Polynomial Method of Number

Conversion (Givone Text Book)

- ☐ The number N_(r1) of Base-r1
- $\begin{tabular}{ll} & \square & N_{(r1)} = (d_{n-1}d_{n-2}\cdots d_1d_0 \hbox{.} & d_{-1}\cdots d_{-m})_{(r1)} \ , \ 0 <= d_i <= (r1-1) \end{tabular}$
- $\begin{array}{c} \blacksquare \ N_{(r1)} = d_{n-1(r1)} * \ r_1^{n-1}_{(r1)} + d_{n-2(r1)} * \ r_1^{n-2}_{(r1)} * \cdots + d_{0(r1)} * \ r_1^{0}_{(r1)} + \\ d_{-1(r1)} * \ r_1^{-1}_{(r1)} + \cdots + d_{m(r1)} * \ r_1^{-m}_{(r1)} \end{array}$
- $\begin{array}{lll} & = d_{n-1(r1)}^{} * 10^{n-1}_{(r1)}^{} + d_{n-2(r1)}^{} * 10^{n-2}_{(r1)}^{} + \cdots + d_{0(r1)}^{} * 10^{0}_{(r1)}^{} \\ & + d_{-1(r1)}^{} * 10^{-1}_{(r1)}^{} + \cdots + d_{-m(r1)}^{} * 10^{-m}_{(r1)}^{} \\ & \text{Note the quantity of 2 in binary is represent by } 10_{(2)} \\ & \text{Note the quantity of 3 in ternary is represent by } 10_{(3)} \end{array}$
- $\hfill\Box$ The number $N_{(r2)}$ of Base-r2
- $\begin{tabular}{ll} & \square & N_{(r2)} = d_{n-1(r2)} * r_1^{n-1}{}_{(r2)} + d_{n-2(r2)} * r_1^{n-2}{}_{(r2)} + ... + d_{m(r2)} * r_1^{-m}{}_{(r2)} \end{tabular}$
- N_(r1) is converted into of N_(r2)
- Iterative method of number conversion

Iterative method of converting integer (Givone Text Book)

- □ To convert an integer in base r₁ into its equivalent integer in r₂.
- □ Divide the number by r₂, then the remainder is the 0-th order digit.
- □ Repeat the previous step to get 1st order digit,
- □ Repeat the division process of r₂ until the remainder is zero.
- Signed and Unsigned Numbers

Signed Numbers

- Signed numbers denote whether the magnitudes is positive or negative.
- □ The form to show a singed number is called as "sign-magnitude representation".
- The sign-magnitude representation includes the following methods:
 - Proceeding with signed symbol, (+) or (-). (used in regular number representation)
 - In digital system, it utilizes the binary digit 0 to denote the plus sign and the binary digit 1 to denote the minus sign.
- Complements of Number

Complement notation

□ The complement notation uses the most significant bit represents the sign bit, indicating whether the number is positive or negative.

Overflow in unsigned and signed number

Overflow

■ the binary number operations need n + 1 digit to do n digit number operations.

■ Floating number (IEEE-754 standard)

5-4 浮點數的表示法

□ 浮點數表示法

■ 不同 CPU 雖有其各自的浮點數表示法,但一般較常採用 IEEE 協會所訂定的浮點數表示法標準(IEEE Standa rd 754),其分成單精確度 (Single Precision) 及雙精確度 (Double Precision) 二種。

兩者的差別在於單精確度是以 32 個位元來表示浮點數, 雙精確度則是用 64 位元表示。

■ Binary Codes (BCD Codes)

Decimal Codes

- BCD
 - Binary Coded Decimal•
- Represents decimal digits
 - 0 → !
- It will need 4 binary digits to represent ten numbers, but leaves 6 combinations un-used.
- Weighted Codes
 - Positional of number indicates weight (w₃w₂w₁w₀)
- □ A number $N = w_{3*}b_3 + w_{2*}b_2 + w_{1*}b_1 + w_{0*}b_0$
- □ BCD codes include several different forms, such as 8421, 2421, 5421, 7536, 5043210 codes.

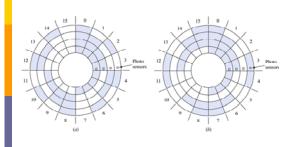
■ Unit-Distance Codes

Unit-Distance Codes

- Only a single bit changes between any two successive coded integers
- The most popular of the unit distance codes are the Gray codes (named after their inventor Frank Gray).

表 3: Non-weighted	decimal code
Decimal Number	Gray Code
0	0000
1	0001
2	0011
3	0010
4	0110
5	0111
6	0101
7	0100
8	1100
9	1101
10	1111
11	1110
12	1010
13	1011
14	1001
15	1000

Angular position encoders. (a) Conventional binary encoder. (b) Gray code encoder.



■ ASCII & Unicode

	$B_7B_6B_5$										
B ₄ B ₃ B ₂ B ₁	000	001	010	011	100	101	110	111			
0000	NULL	DLE	SP	0	@	P		р			
0001	SOH	DC1	!	1	A	Q	a	q			
0010	STX	DC2		2	В	R	b	r			
0011	ETX	DC3	#	3	C	S	c	S			
0100	EOT	DC4	\$	4	D	T	d	t			
0101	ENQ	NAK	%	5	E	U	e	u			
0110	ACK	SYN	&	6	F	V	f	v			
0111	BEL	ETB		7	G	W	g	w			
1000	BS	CAN	(8	H	X	h	X			
1001	HT	EM)	9	I	Y	i	y			
1010	LF	SUB	*	:	J	Z	j	z			
1011	VT	ESC	+	;	K]	k	{			
1100	FF	FS		<	L	Ì	1	ì			
1101	CR	GS	-	=	M	1	m	}			
1110	SO	RS		>	N	٨	n	~			
1111	SI	US	/	?	O		0	DE			

Error-Detection Codes (Parity Code)

Error-Detection Codes

- A code is said to be n-error detecting if the minimum of n errors that cannot be detected is n + 1
 - Error defined as a bit being complemented erroneously
- Distance between two code groups
 - The number of bits that must change so that the first code group becomes the second
- Minimum Distance
 - Minimum distance between any two valid code groups in a coding scheme
- Maximum number of detectable errors
 - D = M 1
 - D is the error detecting capability of code
 - M minimum distance
- Error Correction Codes (Hamming Code)

Hamming Code

- Derived by R.W. Hamming
- Consider the case of four information bits
- Three parity bits are included
- Each calculated over a specified set of bits
- □ Let *p_i* represent parity bit *i*
- □ Let b_i represent parity information bit i
- □ 76 543 21 : Positions
- \Box $b_4b_3b_2p_3b_1p_2p_1$: Code Group Format
- p_1 :: Even parity over positions 1, 3, 5, 7
- p_2 :: Even parity over positions 2, 3, 6, 7
- Hamming code can detect and correct an error bit.

BOOLEAN ALGEBRA AND COMBINATIONAL NETWORKS

■ Introduction to Boolean Algebra

Intro. to Boolean Algebra An algebra for symbolically representing problems in logic and analyzing them *mathematically*. Based on work of George Boole, an English mathematician, Published "An Investigation of the Laws of Thought", Published in 1854 Claude E. Shannon, Massachusetts Institute of Technology, Showed how a Boolean algebra could be applied to certain engineering problems. Switching Circuit Theory The study of Boolean algebra applied to logic design. For any logic system consisting of elements with two-valued characteristics. To describe terminal properties of a logic network. To manipulation the network realization.

Intro. to Boolean Algebra

- The logic network described by Boolean algebra is divided into two categories:
 - 1. Combinational networks
 - The outputs of a logic network are a function of current inputs at any instant.
 - 2. Sequential networks
 - The outputs of a logic network are not only a function of current inputs but, in addition, depend upon the past history on inputs, i.e. the states of variables stored in memory.
- Theorems & Postulates of Boolean Algebra

Postulates of Boolean Algebra P1: Operations (+) and (·) are closed $x + y \in B$ $x \cdot y \in B$ P2: Identity Elements Identity elements exist, such that for every element $x \in B$ 0 + x = x + 0 = x $1 \cdot x = x \cdot 1 = x$ (Duality) P3: Commutative Law x + y = y + x $x \cdot y = y \cdot x$ (Duality) Closure: If $x \in A$ and $y \in A$ s then $X \cdot Y \in A$ if $x \in A$ and $y \in A$ s and $y \in$

Postulates of Boolean Algebra

P1: Operatio	ns (+) and	l (·) are close	ed
$x + y \in B$			(6)
$x \cdot y \in B$			
P2: Identity E	Elements		
■ Identity elen ∈ B	nents exist,	such that for e	very element x
0 + x = x + 0 =	x		(9)
$1 \cdot x = x \cdot 1 = x$	(Duality)		
P3: Commut	ative Law		
x + y = y + x			(12)
$x \cdot y = y \cdot x$	(Duality)		
		Closure: If X S and Y	S thon V V S
		If X S and Y	

■ Two-Valued Boolean Algebra

Two-Valued Boolean Algebra

- The objective of this topic is to establish a relationship between a Boolean algebra and logic networks and how to show a Boolean algebra is a useful tool in logic network analysis and design.
- The two-valued Boolean algebra is also known as the switching algebra.
 - The analysis and design of logic network, it is common to refer to the two-valued Boolean algebra simply as a Boolean algebra without additional qualification.

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■ Boolean Formulas and Functions

Boolean Formulas and Functions Boolean expression or formulas are constructed by connecting the Boolean algebra constants and variables with the Boolean operations. Boolean expressions are used to describe

- Boolean functions.

 Example:
- Example: Boolean expression : (x' + y) z Boolean function : f(x, y, z) = (x' + y) z
- The value of Boolean function is determined by any set of values of variables.

■ The Truth Table

The Truth Table A table listing the outputs for every possible combination of inputs for an n-input function Inputs Enumerated on left Count from [0...0] (all zeros) to [1...1] (all ones) in binary to enumerate all values Outputs Enumerated on right Columns n + 1 (minimum) Often intermediate values are listed instead of just the output of the function Rows Rows

Truth table for the function f=(x'+y)z

x	у	z	x'	x'+ y	f = (x'+ y)z
0	0	0	1	1	0
0	0	1	1	1	1
0	1	0	1	1	0
0	1	1	1	1	1
1	0	0	0	0	0
1	0	1	0	0	0
1	1	0	0	1	0
1	1	1	0	1	1

■ Canonical Formulas of Boolean Algebra & Manipulations of Boolean Formulas

Canonical Formulas 2 types of expressions are obtained directly from a truth table Minterm canonical formula Special case of disjunctive normal formula 2ⁿ minterms exist for n Boolean variables Maxterm canonical formula Special case of conjunctive normal formula 2ⁿ maxterms exist for n Boolean variables

Manipulations of Boolean Formulas

A Boolean function may be represented in different forms, with the same Boolean functions, by applying the postulates and theorems of a Boolean algebra.

■ Canonical Forms

Canonical Forms

- □ The standard form of an equation consists of product or sum terms
 - Referred to as the canonical form
 - Two forms
 - POS
 - SOP

Minterm Canonical Formulas

- □ The significance of the minterm canonical formula is to uniquely describe a complete Boolean function.
- □ It can transfer any Boolean function and expression into a minterm canonical formula.

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Maxterm Canonical Formulas

- The maxterm canonical formula can be uniquely described a complete Boolean function.
- □ It can transfer any Boolean function and expression into a minterm canonical formula.

■ Gates and Combinational Networks

Logic Networks

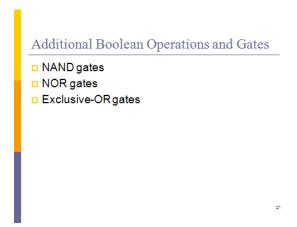
- □ Logic elements:
 - Gates: electronic circuits whose terminal properties corresponding to various Boolean operations.
 - Flip-flops: memory devices which can store logic constant.
- $\hfill\Box$ Logic diagram: the drawing of logic elements.
- Logic networks:
 - The interconnections of gates and flip-flops are formed the logic networks.
 - It is also called a realization (or implementation) of a Boolean algebra

Gates

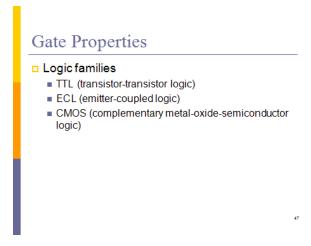
- Electronic circuits have only two possible steaystate voltage signal values appear at the terminals.
 - and-gate:
 - perform Boolean AND operation
 - or-gate:
 - perform Boolean OR operation
 - not-gate:
- perform Boolean NOT operation
 Each gate has its specified logic diagram.

■ Incomplete Boolean Functions and Don't-Care Conditions

■ Additional Boolean Operations and Gates



■ Physical Properties of Logic Gates



Simplification of Boolean Expressions

Formulation of the Simplification Problem

- The factor for evaluating the simplification of logic networks.
 - Cost
 - Reliability
 - Response Time (i/p to o/p)

■ Prime Implicates and Irredundant Conjunctive Expressions

Prime Implicants and Irredundant Disjunctive Expressions

- □ Implies: Boolean f₁ and f₂, if we say f₁ implies f₂ only if there is no assignment of values to the n variables that makes f₁ equal to 1 and f₂ equal to 0
- □ If f_1 implies f_2 , then when f_1 = 1 it is equal to say f_2 =1, too.

KARNAUGH MAPS

KARNAUGH MAPS

- A graphical method, developed by Veitch and modified by Karnaugh, to determine the implicants.
- A Karnaugh map is a geometrical configuration of 2ⁿ cells. Each cell is corresponding to a row of a truth table of an n-tuple Boolean function.
- The adjacent cells have only one variable different than each other.

 Using Karnaugh Maps to Obtain Minimal Expressions for Complete Boolean Functions By using the Karnaugh map, a Boolean expression can be minimized by eliminating unnecessary (redundant) subcubes.

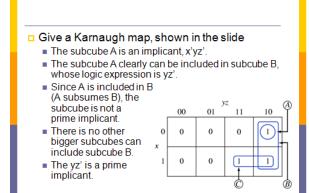
Prime Implicants and Karnaugh Maps

- Assume a set of subcubes have been selected all 1-cells and no 0-cells being picked.
 - These corresponding product terms with respect to selected subcubes are implicants.
- Questions:

How can one select the prime implicants from these subcubes.

We are going to demonstrate by using an example.

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Algorithm to find all prime implicants.
Figure 4.14

The general procedures for determining the prime implicants of a Boolean function is shown in flow chart:

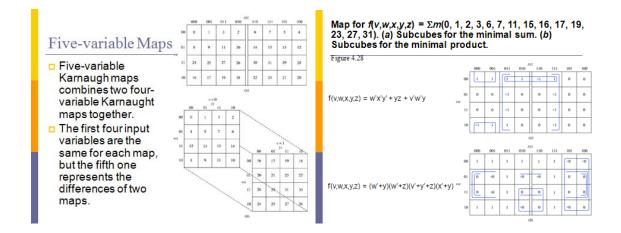
The list of $i \leftarrow n$ Form all subcubes of 2^i 1-cells not properly contained in any other single subcube previously formed. Write the corresponding product terms.

■ Minimal Expression of Incomplete Boolean Functions

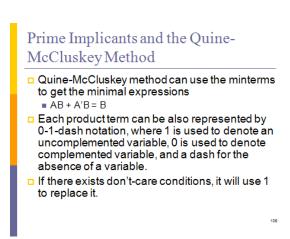
Minimal Sums (for incomplete Boolean function) For an incomplete Boolean function, the don't-care cells can be either treated as 1 or 0. The rule of thumb is trying to use don't-care cells to get a larger subcube as possible. But get as fewer subcubes as possible. Then proceed the Karnaugh map as a complete Boolean function to get its SOP form.

Note that it may exist more than one solutions. 71

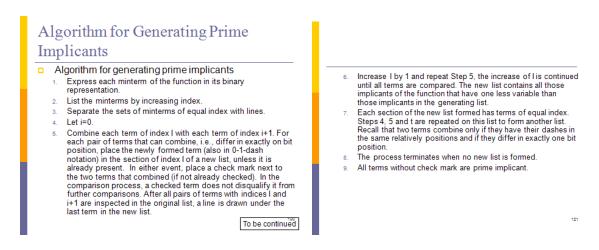
■ Five-variable and Six-variable Karnaugh Maps



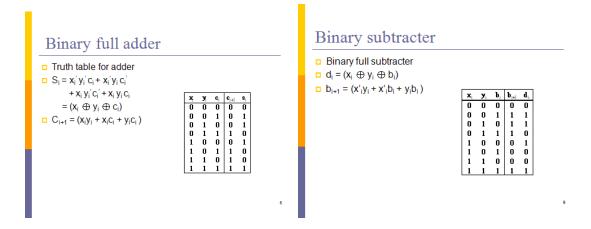
■ The Quine-McCluskey Method of Generating Prime Implicants and Prime Implicates



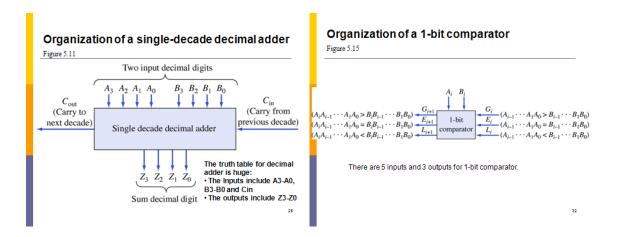
■ Decimal Method for Obtaining Prime Implicants



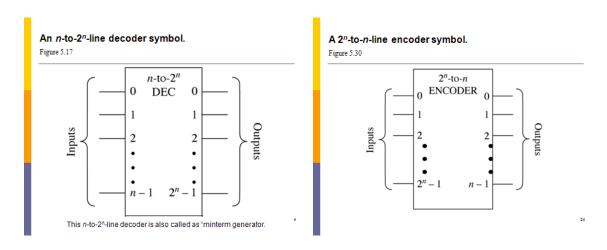
- LOGIC DESIGN WITH MSI COMPONENTS AND PROGRAMMABLE LOGIC DEVICES
 - Binary Adders and Subtracter



■ Decimal Adders & Comparators



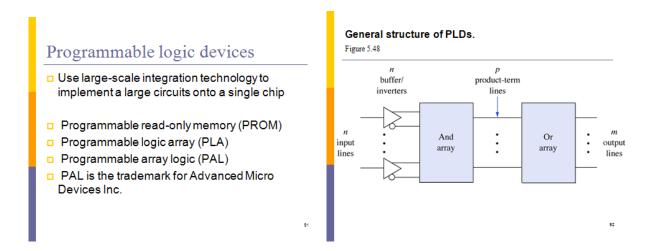
■ Decoders & Encoders



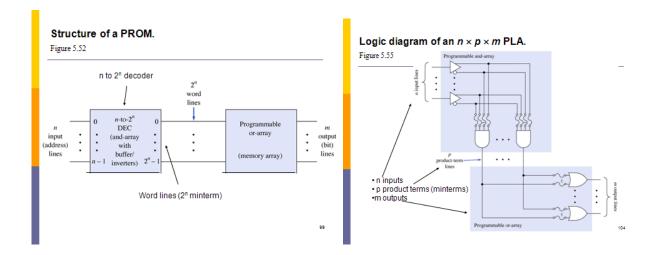
■ Multiplexers

Figure 5.32 Data input lines Data input lines I_1 I_2^{n} -to-1 I_0 MUX I_1 I_2^{n} -1 Enable (or called as strobe) line provides more flexibility as in case of decoders. Select input lines

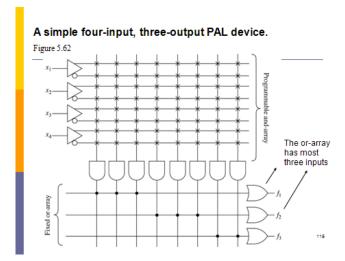
Programmable Components & Programmable Logic Devices (PLDs)



■ Programmable Read-Only Memory (PROMs) & Programmable Logic Arrays (PLAs)

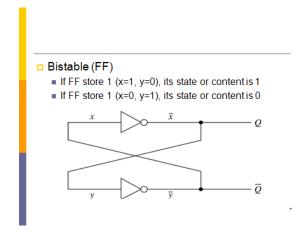


■ Programmable Array Logic (PAL) Devices

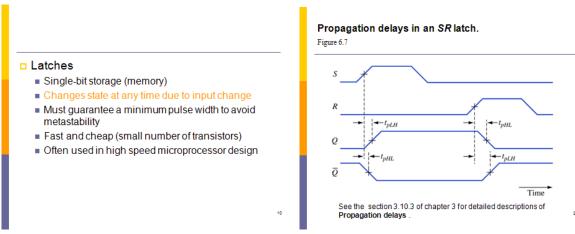


Sequential Logic Circuit 數位序列電路

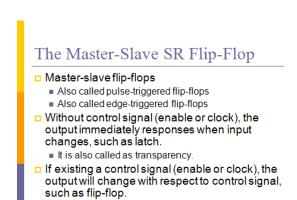
- Flip-Flops and Simple Flip-Flop Applications
 - The Basic Bistable Element

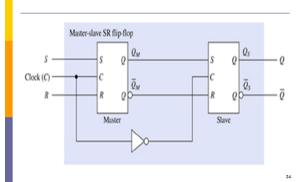


■ Latches & Progagation Delays

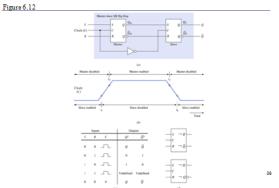


Master-Slave SR Flip-Flops (Pulse-Triggered Flip-Flops)

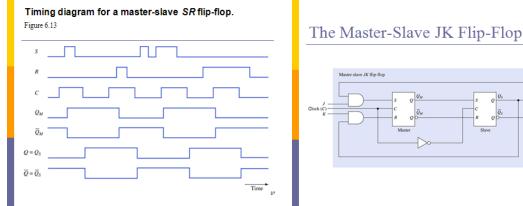


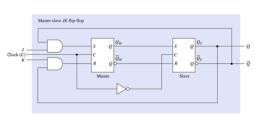


 $\bar{\varrho}$ \bar{Q} Master-slave SR flip-flop. (a) Logic diagram using gated SR latches. (b) Flip-flop action during the control signal. (c) Function table where Q^{\star} denotes the output Q in response to the inputs. (c) Two logic symbols.



The Master-Slave SR Flip-Flop





Inputs	Outputs	
J K C	$Q^* \overline{Q}^*$	$-\frac{1}{c}$
	$Q \overline{Q}$	<u></u> κ ¬ <u>Q</u>
0 1	0 1	
1 0	1 0	J 70
1 1 1	\overline{Q} Q	-c
X X 0	$Q \overline{Q}$	K ¬ Q

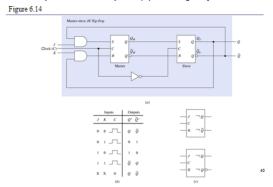
■ The Master-Slave JK Flip-Flop

The Master-Slave SR Flip-Flop

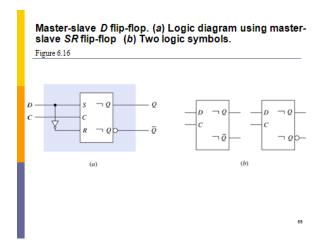
- □ Master-slave flip-flops
 - Also called pulse-triggered flip-flops
 - Also called edge-triggered flip-flops
- Without control signal (enable or clock), the output immediately responses when input changes, such as latch.
 - It is also called as transparency.
- If existing a control signal (enable or clock), the output will change with respect to control signal, such as flip-flop.

Master-slave SR flip-flop $S = Q \qquad \qquad S \qquad Q_S \qquad Q_S \qquad Q$ Clock (C) $R \qquad Q \qquad \overline{Q}_M \qquad S \qquad Q \qquad \overline{Q}_S \qquad \overline{Q}$ Master $R \qquad Q \qquad \overline{Q}_S \qquad \overline{Q}_$

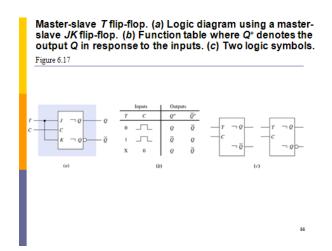
Master-slave JK flip-flop. (a) Logic diagram using gated SR latches. (b) Function table where Q^* denotes the output Q in response to the inputs. (c) Two logic symbols.



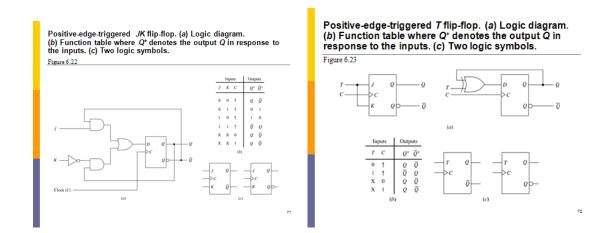
■ The Master-Slave D Flip-Flop



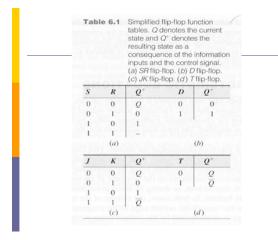
■ The Master-Slave T Flip-Flop

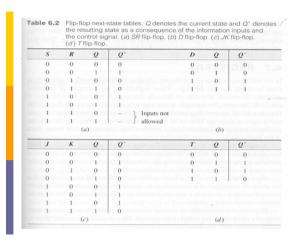


■ Edge-Triggerred SR/JK/F/T Flip-Flop



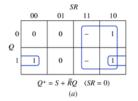
■ Characteristic Equations





Characteristic equations. (a) Derivation of characteristic equation for an *SR* flip-flop. (b) Summary of characteristic equations.

Figure 6.25



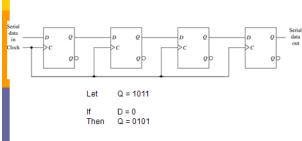
Flip-flop type	Characteristic equation
SR	$\overline{Q^+ = S + \overline{R}Q (SR = 0)}$
JK	$Q^+ = J \overline{Q} + \overline{K} Q$
D	$Q^+ = D$
T	$Q^+ = T\overline{Q} + \overline{T}Q = T \oplus Q$
	(b)

• Registers

- □ A register is a collection of flip-flops.
 - A register contains finite flip-flops
 - Each flip-flops stores 0 or 1.
 - The combination of flip-flops is known as state of content of the register
- Registers that are capable of moving information positionwise upon the occurrence of a clock signal is called shift register, such as
 - Serial-in, serial-out unidirectional shift register
 - Serial-in, parallel-out unidirectional shift register
 - Parallel-in unidirectional shift register

Serial-in, serial-out unidirectional shift register.

Figure 6.26

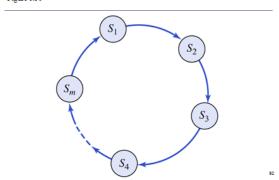


Counters

- Counter is another example of a register which produces a specified output pattern sequence.
 - Is also called as pattern generator.
- □ The output pattern is a state of the counter.
 - The total number of states is called its *modulus*.
 - A counter has m distinct states, then it is called a modulus-m counter or mod-m counter.

State diagram of a counter.

Figure 6.30



伍、實施成效及影響(量化及質化)

實施成效:

1. 學員數: 102 人

2. 上課時數: 18 小時

3. 作業次數: 10 次作業

4. 數位電路範例: 10 種

5. 作業完成率: 782/1020=77%

6. 未完成率: 238/1020=23%

7. 硬體程式語: Schematic Layout

8. CAD 設計硬體: Altera Quartus II v9.1

9. 作業繳交明細表

學員	的口上	11 4	作業									
排序	學號	姓名	#1	#2	#3	#4	#5	#6	#7	#8	#9	#10
1	N/A	N/A	1	1	1	3	2	2	2	1	3	2
2	N/A	N/A	1	1	2	3	2	2	2	2	3	2
3	N/A	N/A	1	X	2	3	2	2	2	2	3	2
4	N/A	N/A	1	1	X	X	X	X	X	X	X	X
5	N/A	N/A	1	1	2	3	2	1	2	2	3	2
6	N/A	N/A	1	1	2	3	2	2	2	2	3	2
7	N/A	N/A	1	1	2	X	2	2	2	2	X	2
8	N/A	N/A	1	1	2	X	2	2	X	2	X	2
9	N/A	N/A	1	X	X	X	X	X	X	X	X	X
10	N/A	N/A	1	X	X	X	X	X	X	X	X	X
11	N/A	N/A	X	1	X	X	X	X	X	X	X	X
12	N/A	N/A	1	1	1	3	2	X	2	1	3	2
13	N/A	N/A	1	1	X	3	X	1	X	X	3	X
14	N/A	N/A	1	1	1	3	2	X	1	1	3	2
15	N/A	N/A	1	1	X	X	X	X	X	X	X	X
16	N/A	N/A	1	1	X	X	X	X	X	X	X	X
17	N/A	N/A	1	1	2	3	2	2	2	2	3	2
18	N/A	N/A	1	1	X	3	2	1	1	1	3	2
19	N/A	N/A	1	1	1	1	2	X	X	1	1	2
20	N/A	N/A	1	1	2	X	X	X	X	2	X	X
21	N/A	N/A	1	1	X	X	X	X	X	X	X	X
22	N/A	N/A	1	1	X	3	2	X	X	X	3	2
23	N/A	N/A	1	1	X	1	X	X	X	X	1	X
24	N/A	N/A	1	X	X	3	2	2	X	X	3	2
25	N/A	N/A	1	1	2	3	2	2	2	2	3	2
26	N/A	N/A	1	X	X	X	X	X	X	X	X	X
27	N/A	N/A	1	1	2	3	X	X	X	2	3	X
28	N/A	N/A	1	1	1	X	1	X	X	1	X	1
29	N/A	N/A	1	1	2	X	X	X	X	2	X	X
30	N/A	N/A	X	X	X	X	X	X	X	X	X	X
31	N/A	N/A	1	1	1	1	1	X	X	1	1	1

32	N/A	N/A	1	1	X	X	X	X	X	X	X	X
33	N/A	N/A	1	1	X	X	X	X	X	X	X	X
34	N/A	N/A	1	1	X	3	2	2	1	1	3	2
35	N/A	N/A	1	1	2	2	2	2	2	2	2	2
36	N/A	N/A	1	1	2	3	2	2	X	2	3	2
37	N/A	N/A	1	1	1	1	2	2	2	1	1	2
38	N/A	N/A	1	1	X	3	X	X	X	X	3	X
39	N/A	N/A	1	1	1	X	X	X	X	1	X	X
40	N/A	N/A	1	1	X	X	X	X	X	X	X	X
41	N/A	N/A	1	1	2	3	2	1	2	2	3	2
42	N/A	N/A	1	X	2	X	X	1	X	2	X	X
43	N/A	N/A	1	1	2	3	X	1	X	2	3	X
44	N/A	N/A	1	X	X	3	X	X	X	X	3	X
45	N/A	N/A	1	1	2	3	2	2	X	2	3	2
46	N/A	N/A	1	X	X	X	X	X	X	X	X	X
47	N/A	N/A	X	X	X	X	X	X	X	X	X	X
48	N/A	N/A	1	1	1	3	X	X	X	1	3	X
49	N/A	N/A	1	1	X	3	2	X	X	X	3	2
50	N/A	N/A	X	X	1	1	1	X	1	1	1	1
51	N/A	N/A	1	1	2	3	X	X	2	2	3	X
52	N/A	N/A	1	1	2	3	2	2	2	2	3	2
53	N/A	N/A	1	1	2	3	2	2	2	2	3	2
54	N/A	N/A	1	1	1	2	2	2	2	1	2	2
55	N/A	N/A	1	1	2	X	2	X	X	2	X	2
56	N/A	N/A	1	1	2	1	X	1	2	2	1	X
57	N/A	N/A	1	1	2	3	2	2	2	2	3	2
58	N/A	N/A	1	1	1	1	X	1	X	1	1	X
59	N/A	N/A	1	1	1	X	X	X	2	1	X	X
60	N/A	N/A	1	1	2	3	2	X	X	2	3	2
61	N/A	N/A	X	1	2	X	2	X	1	2	X	2
62	N/A	N/A	1	1	2	3	2	2	2	2	3	2
63	N/A	N/A	1	1	2	3	2	2	1	2	3	2
64	N/A	N/A	1	1	2	3	2	2	1	2	3	2
65	N/A	N/A	1	1	1	X	2	2	X	1	2	2
66	N/A	N/A	1	1	2	3	2	X	X	2	3	2
67	N/A	N/A	1	1	1	3	2	2	2	1	3	2
68	N/A	N/A	1	1	2	X	X	X	2	2	X	X

69	N/A	N/A	1	1	2	X	2	2	X	2	X	2
70	N/A	N/A	1	X	X	X	X	X	X	X	X	X
71	N/A	N/A	1	1	2	3	2	2	2	2	3	2
72	N/A	N/A	X	X	X	X	X	X	X	X	X	X
73	N/A	N/A	1	X	2	X	2	2	X	2	X	2
74	N/A	N/A	X	X	X	3	2	1	X	1	3	2
75	N/A	N/A	1	1	1	3	2	2	2	1	3	2
76	N/A	N/A	1	1	2	3	2	2	2	2	3	2
77	N/A	N/A	1	1	1	1	1	X	X	1	1	1
78	N/A	N/A	1	1	1	3	X	2	X	1	3	X
79	N/A	N/A	1	1	X	3	X	2	2	X	3	X
80	N/A	N/A	1	1	2	X	X	X	X	2	X	X
81	N/A	N/A	1	1	2	3	X	2	X	2	3	X
82	N/A	N/A	1	1	2	3	2	2	X	2	3	2
83	N/A	N/A	1	1	1	3	X	2	X	1	3	X
84	N/A	N/A	1	1	1	3	X	2	X	1	3	X
85	N/A	N/A	1	1	1	3	2	2	X	1	3	2
86	N/A	N/A	1	1	1	1	2	2	X	1	1	2
87	N/A	N/A	X	1	2	3	2	1	X	2	3	2
88	N/A	N/A	1	1	1	3	2	2	X	1	3	2
89	N/A	N/A	X	1	1	X	X	X	X	1	X	X
90	N/A	N/A	X	1	1	1	1	1	2	1	1	1
91	N/A	N/A	X	X	X	X	X	X	X	X	X	X
92	N/A	N/A	X	X	1	X	X	X	X	1	X	X
93	N/A	N/A	1	X	2	3	X	2	2	2	3	X
94	N/A	N/A	1	X	2	3	2	2	2	2	3	2
95	N/A	N/A	X	1	2	3	X	2	2	2	3	X
96	N/A	N/A	1	1	2	3	2	2	2	2	3	2
97	N/A	N/A	X	1	1	3	X	2	2	1	3	X
98	N/A	N/A	1	1	2	X	2	2	X	2	X	2
99	N/A	N/A	X	1	X	1	1	1	1	1	1	1
100	N/A	N/A	X	X	1	X	1	2	X	1	X	1
101	N/A	N/A	1	1	2	3	X	2	X	2	3	X
102	N/A	N/A	X	X	2	X	2	2	1	2	1	2

實施影響:

對組合電路與序列電路的了解與實作有實際操作的機會,讓學員設計數位基本 元件,同時亦了解設計時程式碼的編排,並觀察軟體設計與硬體電路的連繫。 為讓學員對此部分有更深刻的理解,本教材特別對數位電路模擬(simulation) 提出許多的範例與說明,包括了大量的時序圖(timing diagram),寄望由這些 例證,能了解數位系統設計的基本原理,進而發展硬體設計的能力,提供學員 在數位領域的競爭力,進入職場後能更快速地融入工作,追求自我生涯的更高 層境界。

陸、結論

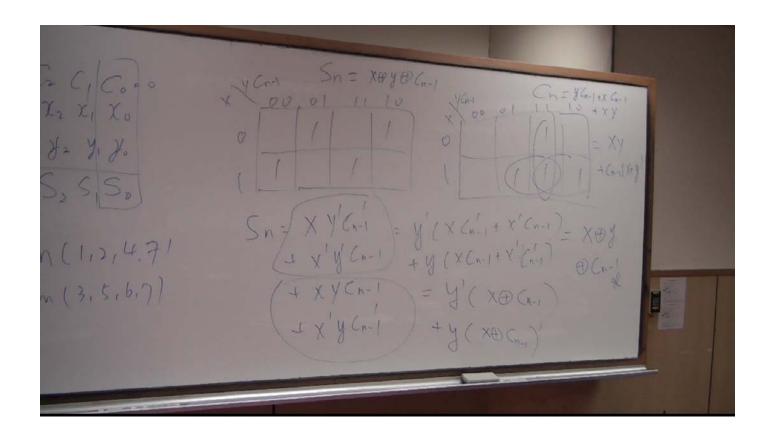
組合電路與序列電路對數位晶片與數位電路的了解與實作有很大的助益。透過有系統的教材資料,針對各種不同的數位電路元件,解說相對應的實際範例,可以讓學員同時複習元件的基本運作原理,同時亦了解設計時數位電路的基本原理,並同時可觀察瞭解軟硬體的設計與其間的連接。對大部份的初學者,數位訊號如何傳遞與在不同時間(timing)時訊號如何改變,更對於訊號間如何互相影響,無法立刻理解。為讓學員對此部分有更深刻的理解,本教材特別對數位電路模擬(simulation)提出許多的範例與說明,包括了大量的時序圖(timing diagram),等望由這些例證,能了解組合電路與序列電路的基本原則,進而發展硬體設計的能力,提供學員在數位領域的競爭力,進入職場後能更快

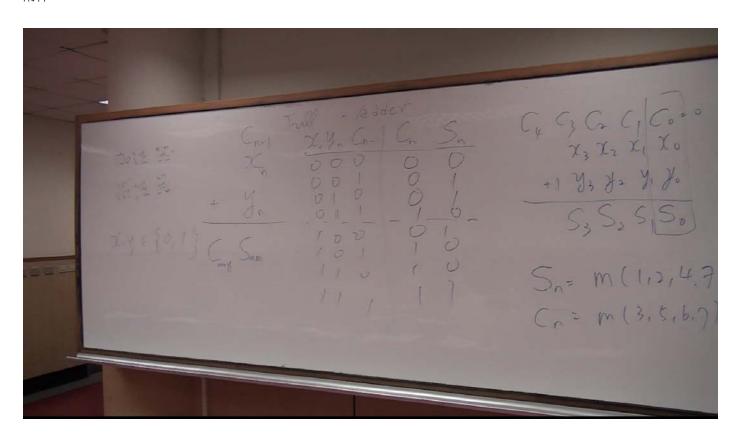
速地融入工作,追求自我生涯的更高層境界。

柒、執行計畫活動照片











附件3



捌、附件

● 光碟片

備註:

- 1. 本報告書大綱得視需要自行增列項目。
- 2. 成果報告書須另以光碟儲存,並附加執行計畫活動照片電子檔。